$\qquad$ Date: $\qquad$

| You need to know \& be able to do | Things to remember | Example Problems |  |
| :---: | :---: | :---: | :---: |
| Factor by GCF | ALWAYS LOOK FOR A GCF FIRST IN WHATEVER TYPE OF fACTORING YOU ARE DOING | 1. $6 x+24$ | 2. $16 a^{2} b^{2}+20 a^{2}$ |
|  | Factor out what all terms have in common <br> Divide the coefficients by the GCF and take away the variables | 3. $9 x^{4}-15 x^{3}+3 x^{2}$ | 4. $20 x+30 y$ |
| Factor by Grouping | USE WITH 4 TERMS <br> Group the $1^{\text {st }} 2$ terms and the last 2 terms <br> Factor out the GCF of each group | 5. $18 a^{3}-21 a^{2}+30 a-35$ | 6. $35 u v+14 u-40 v-16$ |
|  | If the "leftovers" match write your factors <br> If the "leftovers" don' $\dagger$ match it is prime | 7. $5 x^{2}+2 x+5 x+2$ | 8. $4 x^{2}+10 x-6 x-15$ |
| Factor when$a=1$ | USE WITH 3 TERMS <br> Play X Game [a•c goes at the top and b at the bottom, find numbers that multiply to give you the top and add to give you the bottom <br> Write your factors | 9. $x^{2}+7 x+6$ | 10. $x^{2}+11 x+24$ |
|  |  | 11. $x^{2}-7 x+10$ | 12. $2 x^{2}+2 x-12$ |
| Factor when $a>1$ | USE WITH 3 TERMS <br> Play X Game <br> Grouping- keep $1^{\text {st }}$ term the same and last term the same and break up middle term using the numbers from $X$ | 13. $5 x^{2}+6 x+1$ | 14. $3 x^{2}-10 x+7$ |


|  | Game, then factor by grouping <br> Slip and Divide- write your factors using the numbers from $X$ Game then divide both factors by a. Simplify if you can, if not, then move the a to the front of the factor (in front of the $x$, not the parenthesis) | 15. $5 \mathrm{x}^{2}+12 \mathrm{x}+4$ | 16. $18 x^{2}+24 x-10$ |
| :---: | :---: | :---: | :---: |
| Difference of Squares | USE WITH 2 TERMS <br> Must be a Binomial, Must be Subtraction, Both terms must be Perfect Squares | 17. $\mathrm{x}^{2}-25$ | 18. $\mathrm{x}^{2}-49$ |
|  | $a^{2}-b^{2}=(a+b)(a-b) ;$ <br> where $a$ is the square root of the $1^{\text {st }}$ term and $b$ is the square root of the $2^{\text {nd }}$ term <br> Watch out for double difference of squares | 19. $2 x^{2}-32$ | 20. $x^{4}-81$ |
| Discriminant | Find the number and type of solutions. $b^{2}-4 a c$ <br> Positive: 2 real solutions Negative: No real solutions Zero: 1 Real solutions | 21. | 22. $x^{2}+8 x+4=0$ |
| Solve a Quadratic by Factoring | Get in standard form. <br> Factor. | 23. $4 x^{2}-9=0$ | $242 x^{2}+x=6$ |
|  | Set each factor equal to zero and solve. | 25. $4 x^{2}-4 x-15=0$ | 26. $5 x^{2}+x=4$ |


| Solve a Quadratic by | Isolate the square. <br> Take the square root of both sides. | 27. $x^{2} \quad 13=0$ | 28. $x^{2}-81=0$ |
| :---: | :---: | :---: | :---: |
| Taking Square Roots | Don't forget the $\pm$. <br> Get the variable by itself. | 29. $(x-1)^{2}+4=20$ | 30. $(x+4)^{2}=121$ |
| Solve a Quadratic by Completing the Square | Put terms with an x on the left. <br> Make sure $\mathrm{a}=1$. <br> Find the number that completes the square. | 31. $x^{2}+2 x-4=0$ | 32. $x^{2}+8 x+4=0$ |
|  | Add it to both sides. <br> Factor the left. Simplify the right. <br> Take the square root of each side. <br> Solve for x . | 33. $x^{2} 8 x-36=0$ | 34. $x^{2}+4 x-2=0$ |
| Solve a Quadratic by Quadratic Formula |  | 35. $x^{2}+4 x-2=0$ | 36. $x^{2}+4 x-1=0$ |
|  | Put it in standard form. Identify $\mathrm{a}, \mathrm{b}$, and c . |  |  |
|  | Use the formula. $x=\frac{-b \pm \sqrt{b^{2}-4 a c}}{2 a}$ | 37. $x^{2} 3 x=2$ | 38. $2 x^{2}+2 x=12 x \quad 1$ |

